## IOWA STATE UNIVERSITY

Department of Industrial and Manufacturing Systems Engineering

# How much should we spend on preparing for disruptions?

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## U.S. spending on disasters

- \$85 \$136 billion per year (Weiss and Weidman, 2013; Kostro et al., 2013)
- From 1985-2004 (Healy and Malhotra, 2009)
  - \$195 million per year on disaster preparedness
  - \$3.04 billion per year on disaster relief

Weiss, D.J. and J. Weidman (2013). Disastrous spending: Federal disaster-relief expenditures rise amid more extreme weather. Center for American Progress. Kostro, S.S., A. Nichols, and A. Temoshchuk (2013). White paper on U.S. disaster preparedness and resilience: Recommendations for reform. CSIS-Pennington Family Foundation Series on Community Resilience, Center for Strategic & International Studies.

Healy, A. and N. Malhotra (2009). Myopic voters and natural disaster policy. *American Political Science Review* 103(3), 387-406.

# Cost-benefit analyses

Benefit-cost ratio of FEMA mitigation grants (Rose et al., 2005)

- 1.5 for earthquake mitigation grants
- 5.1 for flood mitigation grants

Rose, A., K. Porter, N. Dash, J. Bouabid, C. Huyck, J. Whitehead, D. Shaw, R. Eguchi, C. Taylor, T. McLane, L.T. Tobin, P.T. Ganderton, D. Goldschalk, A.S. Kiremidjian, K. Tierney, and C.T. West (2005). Benefit-cost analysis of FEMA hazard mitigation grants. *Natural Hazards Review* 8(4), 97-111.

## Research questions

- What is the optimal allocation of resources predisruption (prevention and preparedness) and post-disruption (response and recovery)?
- How should resources be allocated among different industries to help those industries recover?
- How does the optimal allocation change based on risk preferences?

## Resource allocation model

Normal production interdopendent matrix min  $p\mathbf{x}^{\mathsf{T}}\mathbf{Dc}$ 

Increased production if no disruption

Probability of disruption

Vector of airect impacts (proportional)

Probability with

Effectiveness of prevention

Pre-disruption allocation

no resources subject to 
$$p = \hat{p} \exp(-k_p z_p)$$

Direct impacts with no

resources

Allocation to industry  $\hat{c}_i = \hat{c}_i \exp(-k_q z_p - k_i z_i - k_0 z_0)$ 

Allocation to benefit all industries

Effectiveness of preparation

Effectiveness of recovery allocation

$$\begin{aligned} z_p + z_{Fish} + z_{RealEstate} + z_{Amuse} + z_{Accom} + z_{oil} + z_{General} &\leq Z \\ z_p &\geq 0, \ z_i \geq 0, z_{General} \geq 0 \end{aligned} \qquad \text{Overall budget}$$

## Optimal recovery allocation

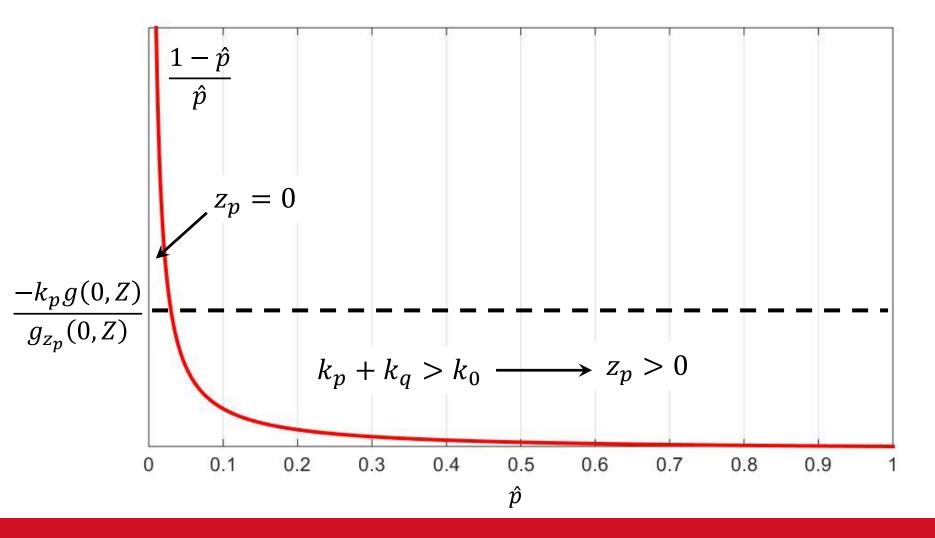
Consequence \* Effectiveness

• If 
$$\mathbf{x}^{\mathsf{T}} \mathbf{d}_{*i} \hat{c}_i k_i \leq \mathbf{x}^{\mathsf{T}} \mathbf{d}_{*j} \hat{c}_j k_j$$
 and  $z_i > 0$ , then  $z_j > 0$ 

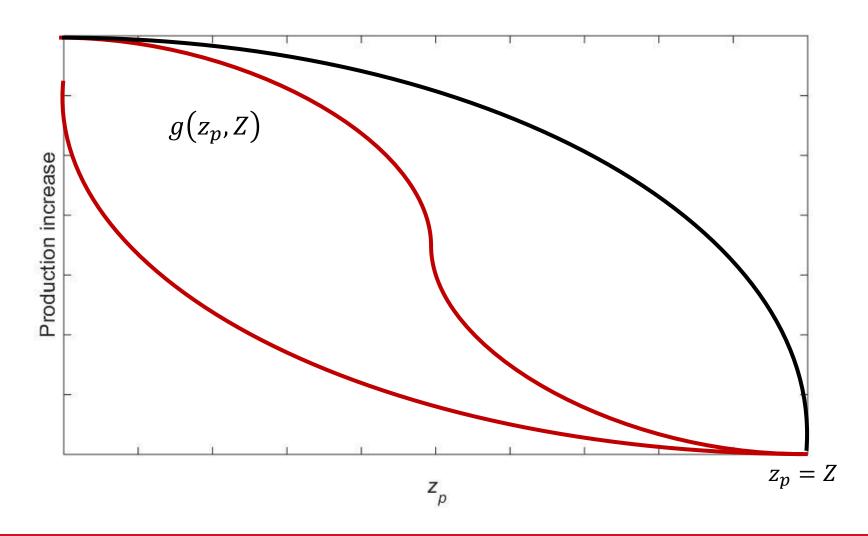
- If  $1/k_0 < \sum_{z_{i>0}} 1/k_i$  then all  $z_i > 0$  is not optimal
- If  $z_0 > 0$  then

$$z_i = \frac{1}{k_i} \log \left( \frac{\mathbf{x}^{\mathsf{T}} \mathbf{d}_{*i} \hat{c}_i k_i \left( 1 - k_0 \sum_{z_j > 0} \frac{1}{k_j} \right)}{k_0 \sum_{z_j = 0} \mathbf{x}^{\mathsf{T}} \mathbf{d}_{*j} \hat{c}_j} \right)$$

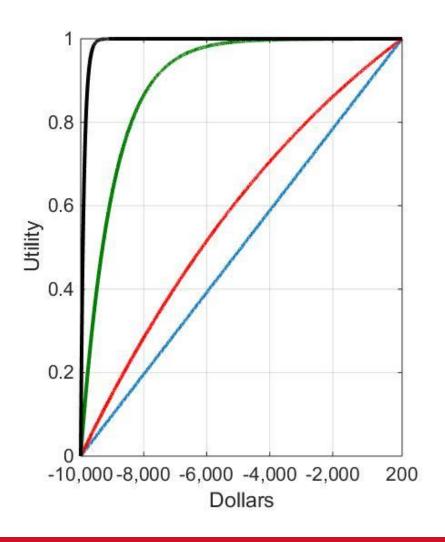
## Optimal pre-disruption allocation

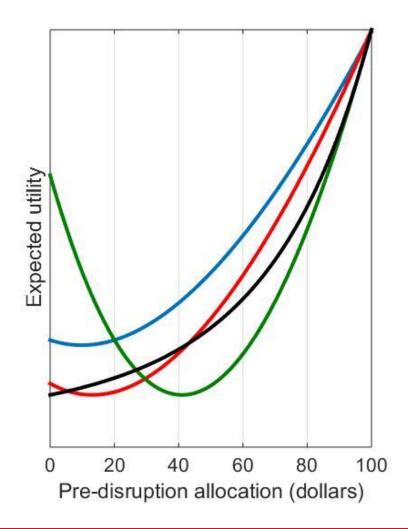


## Optimal pre-disruption allocation



#### Risk aversion





## Deepwater Horizon oil spill









# Input parameters for oil spill

Prevention	$k_p = 2.8*10^{-4}$	$\hat{p} = 0.045$
Preparedness	$k_q = 1.6*10^{-4}$	
All industries	$k_0 = 1.1*10^{-5}$	

Industry	$k_i$ (per \$1 mil)	$\hat{c}_i$	
Fishing	0.074	0.0084	
Real estate	0	0.047	
Amusements	0.0038	0.21	
Accommodations	0.0027	0.16	
Oil and gas	0.0057	0.079	

$$g(z_p, Z) = 1.6(Z - z_p)$$

## Parameter estimation for fishing

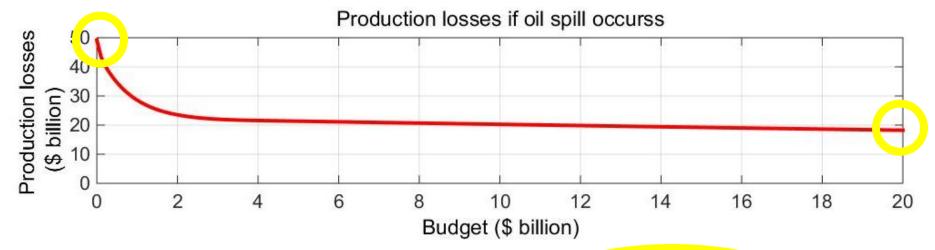
\$62 million lost sales from Gulf Coast fishing
→ 0.84% of region's fishing

and forestry production

Studies on food safety and impact of positive media stories → \$792,000 to reduce losses by \$40 million

MacKenzie, C.A., H. Baroud, and K. Barker (2014). Static and dynamic resource allocation models for recovery of interdependent systems: Application to the *Deepwater Horizon* oil spill. *Annals of Operations Research*. In press.

## Model results

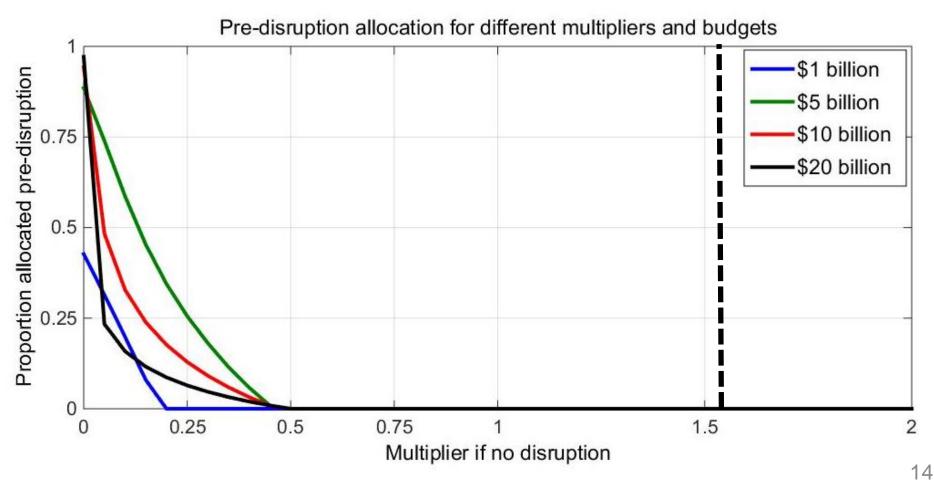


Industry	Millions of dollars anocated to each inquetry			
Fishing	0	46	46	46
Real estate	0/	0	0	0
Amusements	25( <mark>-</mark>	1,209	1,209	1,209
Accommodations	379	1,752	1,752	1,752
Oil and gas	372	1,011	1,011	1,011
All industries	0	981	5,981	15,581
Total budget	1,000	5,000	10,000	20,000

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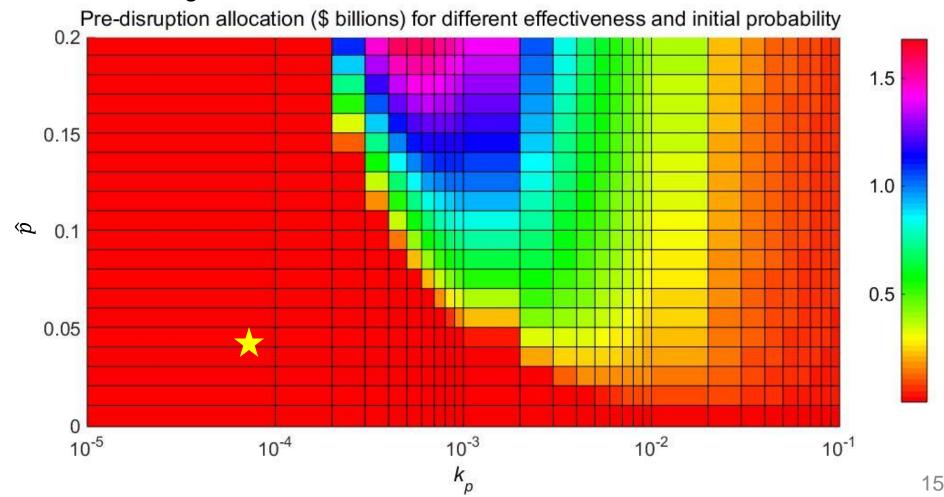
# Sensitivity analysis

$$g(z_p, Z) = 1.6(Z - z_p)$$

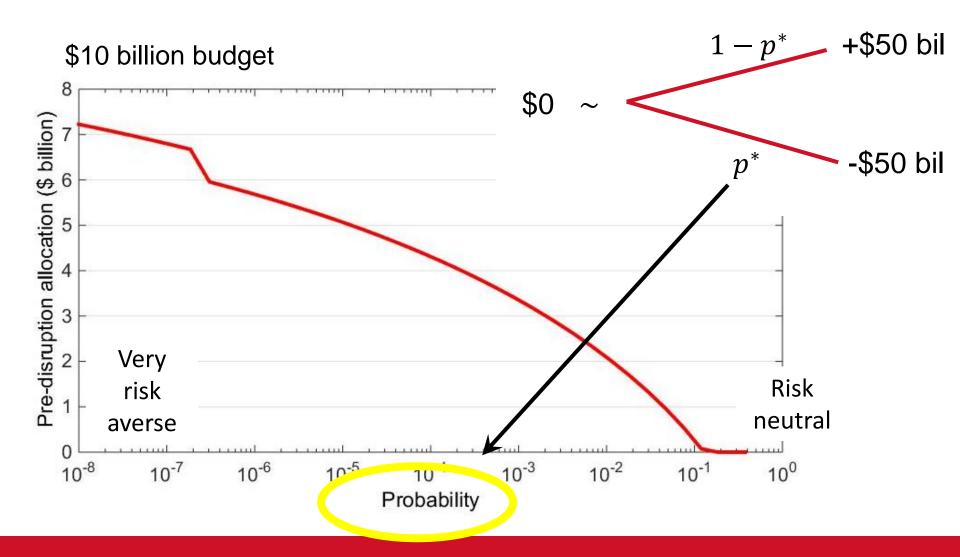


# Sensitivity analysis

\$10 billion budget



#### Allocation with risk aversion



#### Future research

- Multiple disruptions: allocating resources prior to disruption can help prevent and prepare for multiple disruptions
- Application to other disruptions
- Budget constraint or impact constraint?
- Temporal aspects

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